Extended Concept for Meaning Based Inferences -Part 2 Version 1

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Abstract

In a preceding post with the title 'Extended Concept for Meaning Based Inferences. Version 1'¹ I had continued two other posts 'CASE STUDY SIMULATION GAMES - PHASE 1: Observer-World-Framework'² and 'The Simulator as a Learning Artificial Actor [LAA]. Version 1'.³ All three posts explained a truth concept embedded in a meaning concept and derived from this an extended view of the inference from a given state – a set of facts assumed to be true – to some condition Φ which shall be decided to be satisfied by the state S. But in the post from August 30, 2020 with the title 'Extended Concept for Meaning Based Inferences' I introduced an inference concept which in the light of real case studies (done by Philipp Westermeier and Athene Sorokowski) showed up to be to simple. In this text I show how this inference concept can easily be extended to include much more possibilities without changing the theory.

1 Generating Follow-up States

As described in the before mentioned posts it is assumed in this text that a follow up state S' of a given state S will be generated by either (i) deleting some expressions E^- of the given state S if converted to S' or (ii) by extending the state S by some new expressions E^+ for the construction of S' by creating new expressions, written as $S' = S - E^- \cup E^+$.

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¹See: https://www.uffmm.org/2020/08/30/extended-concept-for-meaning-based-inferences-version-1/

²See: https://www.uffmm.org/2020/07/16/the-observer-world-framework-part-of-case-studies-phase-1/

³See: https://www.uffmm.org/2020/08/23/the-simulator-as-a-learning-artificial-actor-laa-version-1/

For this to happen it is assumed in this text that there are *change rules* X where each rule has the following format: *IF*-part and *THEN*-part, written as $X \subseteq X_{if} \times X_{then}$. While an element of the then-part has always the format $X_{then} \subseteq E^- \times E^+$ an element of the if-part is a set of expressions which have to be *valid*. One can generalize this case in the following way: If we assume that the expressions of the state S are all *true* with regard to the assumed part of the world then it has to be clarified for each expression Φ in the if-part of a change rule whether this expression is *true* in the assumed state S or not. We allow that the IF-part of a change rule can contain more than one expression Φ , either as a *disjunction* written as $\Phi_1 \vee ... \vee \Phi_n$ or as a *conjunction* written as $\Phi_1 \wedge ... \wedge \Phi_n$. The disjunction is satisfied only if at least one of the expressions Φ_i is satisfied and the conjunction is satisfied when all expressions together are satisfied.

For the details of an expression Φ in the IF-part we assume the following different cases:

Actor-Free Inference Rules: For the whole IF-THEN-inference rule it is assumed that a change can happen without explicit mentioning an actor. This requires for the IF-part only expressions which can be satisfied by the set of facts in the state S and then in the THEN-part – depending only from some probability $\pi \in [0, 1]$ – the description of those expressions which shall be deleted E^- and those which shall be newly generated E^+ . A further distinction is between those expressions Φ which contain numbers and those which don't. written as:

IF Φ THEN $\pi_{e-}: E^- \wedge \pi_{e+}: E^+$

Example 1:

S={A house is burning in the city AAA}. X=IF {A house is burning in the city AAA} THEN with $\pi_{e-} = 1 : E^- = \emptyset$, $\pi_{e+} = 0.9 : E^+ = \{\text{The fire brigade is coming immediately}\}.$ S'=S - $E^- \cup E^+$ S'=S $\cup \{\text{The fire brigade is coming immediately}\}$

Example 2:

 $S = \{$ The city AAA has 10000 inhabitants and a negative migration rate of 600. $\}$.

X=IF {The migration rate of city AAA is bigger than 500} THEN $\pi_{e-} = 1 : E^-$ = {The city AAA has 10000 inhabitants}, $E^+, \pi_{e+} = 1$: {The city AAA has 9400 inhabitants}, $\pi_{e+=0.8}$: {The number of inhabitants of city AAA will degrade a lot in the future.}. Because the migration rate is bigger than 500 the condition is satisfied: S'=S - $E^- \cup E^+$

 $\label{eq:S} S' = S \cup \{ \mbox{The city AAA has 9400 inhabitants}, \mbox{The number of inhabitants of city AAA will degrade a lot in the future} \}$

Inference Rules with Actors: The difference to the actor-free inference rule consists in the additional call to an actor:

IF Φ THEN ACTOR() = $E^- \wedge E^+$

Within this explicit call to an actor two main cases will be distinguished:

- Deterministic Actor: When a deterministic actor will be called then the actor will process a *well defined function* and will output the result in the format of expressions to be deleted or to be created.
- 2. Non-Deterministic Actor: When a non-deterministic actor will be called then the response of the actor depends besides other things also from the actual inner states which are the result of the history of events in the past. Here two basic types of non-deterministic actors are distinguished: biological actors or non-biological actors. If both types of actors can be simulated in some way, then the computation can be done within the normal simulation. If simulations are not available then these nondeterministic actors have been 'played' by real actors.

Example 3:

The idea is that a deterministic actor can realize some fixed process. In this example there are data know about the population of the city XXX. A deterministic actor can be a function which can compute the *effect* of all these factors expressed in the changing population number.

 $S = \{$ The city AAA has 10000 inhabitants, a negative migration rate of 600, a death rate of 0.118%, and a birthrate of 0.13%. $\}$.

X=IF {The city AAA has P inhabitants, a negative migration rate of MN, a death rate of DR%, and a birthrate of BR%.} THEN *demographicActor(P inhabitants, a negative migration rate of MN, a death rate of DR%, a birthrate of BR*) = $E^- \cup E^+$ S'=S - $E^- \cup E^+$

If we define the *demographicActor()* as follows:

def demographicActor(P,-M.DR,BR): P=P+(P*BR)-(P*DR)-MN ... some formatting ... return P

Then we will get the following *output*:

 $E^- = \{$ The city AAA has 10000 inhabitants, a negative migration rate of 600, a death rate of 0.118%, and a birthrate of 0.13%. $\}, E^+ = \{$ The city AAA has 9520 inhabitants, a negative migration rate of 600, a

death rate of 0.118%, and a birthrate of 0.13%.}

Example 4:

A non-deterministic actor can react based on his collected experience from the past. Perhaps there is a non-deterministic actor which knows about the *motifs* why people do not like to stay in city XXX. In this case this actor can set up a goal to stop the negative movement of people away from city XXX. Thus he can propose for the city parliament to set up an agenda against the negative migration.

 $S = \{$ The city AAA has 10000 inhabitants, a negative migration rate of 600, a death rate of 0.118%, and a birthrate of 0.13%. $\}$.

X=IF {The city AAA has 10000 inhabitants, a negative migration rate of 600, a death rate of 0.118%, and a birthrate of 0.13%.}

THEN councillorActor(10000 inhabitants, a negative migration rate of 600, a death rate of 0.118%, a birthrate of 0.13) = $E^- \cup E^+$ S'=S - $E^- \cup E^+$

If we define the *councillorActor()* as follows:

def councillorActor(p,br,dr,mgr-) based on the facts develop a proposal for the city council return proposal

Then we will get the following *output*:

 $E^- = \emptyset,$ $E^+ = \{ \text{Proposal for the city council how to act} \}$